# The (Non)-effect of Opportunity Zones on Housing Prices

Jiafeng (Kevin) Chen<sup>1</sup> Edward Glaeser<sup>1</sup> David Wessel<sup>2</sup> February 16, 2021

<sup>1</sup>Harvard University <sup>2</sup>Brookings Institution

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- Does the Opportunity Zones program do these things?

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  - To end of 2019, \$75B private capital investment (CEA)

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- Non-academic work conducted by Zillow and ATTOM Data Solutions using proprietary data
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  - Non-repeated sales price data fail to control for quality
  - Imperfect control group / parallel trends violations in the pre-periods
- CEA report replicates our initial work with only 2018 data. Their estimate of +0.5pp (0.2pp) with the 2019 data is in the range of our estimates, though on the higher end



- Outcome variable: Growth in FHFA housing price index (weighted, repeat-sales index of single-family house prices):  $Y_{it} \equiv P_{it}/P_{i,t-1}$ 
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  - Full list: log median household income, total housing units, percent white, percent with
    post-secondary education, percent rental units, percent covered by health insurance among
    native-born individuals, percent below poverty line, percent receiving supplemental income,
    and percent employed

# Methodology

Standard differences in differences setup:

- Let i denote the unit of analysis and let  $t=1,\ldots,t_0,\ldots,T$
- Potential outcomes  $Y_{it}(1), Y_{it}(0)$
- Treatment  $D_i \in \{0,1\}$  for being selected as OZ and  $D_{it} = 1(t > t_0)D_i$
- Observe outcome  $Y_{it} = Y_{it}(D_{it})$
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Identification assumption: (conditional-on-X) parallel trends

For all 
$$x_i \mathbb{E}[Y_{it(0)} - Y_{i,t-1}(0) \mid X_i = x, D_i = 1] = \mathbb{E}[Y_{it(0)} - Y_{i,t-1}(0) \mid X_i = x, D_i = 0]$$

• Strategy 1: Assume eligible, but not selected tracts are sufficiently similar to selected tracts for parallel trends to hold

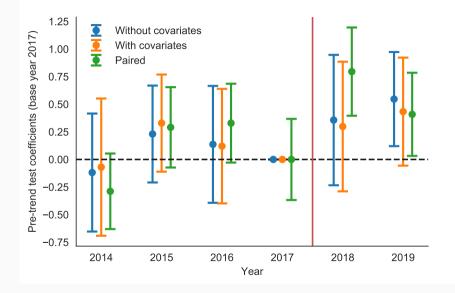
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  - Without trend adjustment: 0.65 [0.17, 1.1]
  - adjusting for a linear trend: 0.5 [-0.1, 1.1]



- Only about half of selected tracts covered by the FHFA tract level data.
- Define the ZIP level OZ exposure as

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- Treatment is now continuous, estimation and interpretation is somewhat more delicate
- Interpretation of the coefficient is now "treatment effect of the OZ designation if the entire ZIP is included in an OZ vs. none of it is included in an OZ."

# **ZIP-level estimation**

- Strategy 1:
  - 0.95 [0.5,1.4] without covariates (rejects pretest)
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- The time horizon of the effects should be second half of 2018 and all of 2019
- There seems to be little possibility that home buyers anticipated that inclusion in an OZ would have a dramatic impact on the character of the neighborhood
- This fact does not imply that the OZ program was a mistake, but rather that it is anticipated to have little effect on the neighborhood.

### Heterogeneity

- Hypothesis 2: TE for residential areas < TE for commercial areas
- Split on the median of  $\frac{\text{employed population in } z}{\text{residential population in } z}$

	No Covariates (1)	Few Covariates (2)	All Covariates (3)
$Treatment\timesPost$	1.680 [1.070, 2.290]	0.066 [-0.571, 0.702]	0.332 [-0.297, 0.961]
Treatment  imes Post  imes Residential	(0.311) -1.391 [-2.340, -0.442]	(0.325) -0.887 [-1.838, 0.065]	(0.321) -0.584 [-1.526, 0.357]
	(0.484)	(0.486)	(0.480)
Pretest p-value	0.009	0.439	0.948

 Sign consistent with the hypothesis, but effect size not large enough to be dispositive

- Point estimates for treatment effects are generally positive, but small in magnitude.
- Estimates are insufficiently precise to rule out effects of zero, but sufficiently precise to rule out large positive effects (>1pp)
- Point estimates for commercial areas are indeed larger than those for residential areas, but the difference is not large enough to reject zero

- Callaway, Brantly and Pedro HC Sant'Anna. 2018. "Difference-in-differences with multiple time periods and an application on the minimum wage and employment." arXiv preprint arXiv:1803.09015.
- Sant'Anna, Pedro HC and Jun B Zhao. 2018. "Doubly Robust Difference-in-Differences Estimators." Available at SSRN 3293315 .